

BLOCK -B-

SEISMIC REPORT

Seismic Design Building

Block A

having 2 basement floors One ground floor and two storeys with a structural walls resisting system.

storey height is $h_1=4.5m, h_2=4.1m, h_3=4.2m, h_4=4.2m, h_5=4.4m$.

Height of the building $H=16.97m$

height of walls:

$h_{w1}=2.00m, h_{w2}=4.12m, h_{w3}=4.00m, h_{w4}=4.20m, h_{w5}=4.17m, h_{w6}=4.30m$

1-Definitions

Seismic / earthquake Zone 2 earthquake zones are defined according to response to the strong 100 years earthquake in Lebanon we consider the zone factor Z=0.3

Center of Mass (C.O.M) A point in the plan of a floor at which the resultant of gravity loading spaces is with the earthquake forces.

Center of Stiffness (C.O.S) A point in the plan of a floor at which the resultant of resisting forces spaces. The location of C.O.S in a wall-resisting system is given by:

$$X_c = \frac{\sum (k_i x_i)}{\sum k_i} \quad Y_c = \frac{\sum (k_j y_j)}{\sum k_j}$$

2-Definitions of the type of resisting element:

Shear wall system: A structural system with an essentially complete shear-resisting support for vertical loads. Seismic forces resisted by structural walls.

Building frame system: A structural system with an essentially complete resistance provided support for vertical loads. Seismic forces resisted by columns & beam frame.

Core system: A structural system with an essentially complete space frame-resisting support for vertical loads. Seismic forces resisted by cores (closed structural walls with or without openings).

Dual system: A structural system with an essentially complete space frame-resisting support for vertical loads. Seismic forces resisted by structural walls, cores/dominants.

3-Determinations of the Total Earthquake load (Lateral Shear):

$V = Z \cdot I \cdot P \cdot W$

Z=0.3 Zone factor

I = 1 Importance factor given in table-1
 $D_n = 0.13$ Dynamic coefficient given by table-2
 $S = 1.4$ Soil coefficient given by table-3
 $B = 1$ Special coefficient, function of the building fundamental period (T_n)
 $B = 1.25 \cdot T_n^{-0.5}$
 $T_n = 0.09 \cdot H$
 $H = 16.97m$ is the height of the building
 $\alpha = 0.05$ for our building
 $T = 0.05 \cdot 16.97 = 0.82 = 1.25 \cdot 0.82 = 1.5$
 Condition: $S > B > 2.5$
 $D_n \cdot S \cdot B > 0.07$
 $W = 2940T$
 $V = 0.3 \cdot 1.0 \cdot 1.5 \cdot 2940 = 2607$

4-Distributions of Base Shear: base shear is distributed over the height of the building by a series of concentrated horizontal forces given by:

$$F_i = \frac{W_i \cdot h_i}{\sum W_j \cdot h_j} \cdot V$$

Where $K = \frac{7/25 \cdot h_i^2}{4 \cdot C^2}$

h_i is the floor height considered or height at the C.O.M. of the floor
 h_i is the height of the story (h_i) or (h_i) height above the fixed level.

we consider $K = 1$:

$F_1 = 14.5T$
 $F_2 = 24T$
 $F_3 = 41.5T$
 $F_4 = 58T$
 $F_5 = 72.5T$
 $F_6 = 87T$

5-Distribution of the lateral force F_i : the lateral force F_i obtained by the previous formula causes a movement of the floor slab (translation and rotation) that is resisted by walls, cores & columns in our building. Some of them receive a part of F_i that correspond to its rigidity as follows:

-Force in wall (parallel to F_i):
 $Q_i = \frac{I_{wi}}{\sum I_{wj}} \cdot F_i$
 Due to rotation Due to motion

-Force in wall (perpendicular to F_i):
 $Q_i = \frac{I_{wi}}{\sum I_{wj}} \cdot \sum_{j=1}^n F_j \cdot \frac{D_{ij}}{D_{ii}}$
 Due to motion

where:
 (x, y) represent the eccentricity between C.O.M. & C.O.S. these values are increased (or decreased) by an accidental eccentricity of 5% of the largest plan length perpendicular to the direction of applied lateral load.
 (j) and represent story distance from the wall (i) to the C.O.S.
 D_{ij} figure shows the distribution of walls $F_i, F_2, F_3, F_4, F_5, F_6$ on the floors the C.O.M. & C.O.S. of the reference systems (S2).
 The Condition of C.O.M. (0,0,0) These Conditions For All Floors Because They are typical.
 To calculate the coordinates of C.O.I. we have to know the moment of inertia of each wall section is given by $I = bh^3/12$

By calculation we get:

$I_1 = 1.236m^4$
 $I_2 = 0.1328m^4$
 $I_3 = 0.1777m^4$
 $I_4 = 0.386m^4$

We neglect the inertia of columns
 By calculation we get: C.O.I (6.4, 8.2)
 $X = 6.4$
 $Y = 8.2$

$e_x = 3.6$
 $e_y = 6.7$
 e_x accidental = 1.1
 e_y accidental = 4.6
 e_x design = 1.7
 e_y design = 7.3

Force in wall "1" parallel to F_i

Story	Wall section	Inertia I_{wi}	Force F_i
01	W1	1.236	14.5
02	W2	0.1328	24
03	W3	0.1777	41.5
04	W4	0.386	58
05	W5	0.1777	72.5
06	W6	0.386	87

Force in wall "1" perpendicular to F_i

Story	Wall section	Inertia I_{wi}	Force F_i
01	W1	1.236	14.5
02	W2	0.1328	24
03	W3	0.1777	41.5
04	W4	0.386	58
05	W5	0.1777	72.5
06	W6	0.386	87

The force diagrams are then obtained for each wall, considered as vertical cantilever, under the maximum distributed lateral forces.

Distributed Force **Distributed Shear Force Diagram**

Moment Diagram
 Pinned = 164cm³

At all the Floors the Vertical steel 6d14/M in two layers & the Horizontal steel 6d12/M in two layers. With Column At The Height At Every Wall With Steel 6d16mm

Distributed Force **Distributed Shear Force Diagram**

Moment Diagram
 Pinned = 168cm³

At all the Floors the Vertical steel 6d14/M in two layers & the Horizontal steel 6d12/M in two layers. With Column At The Height At Every Wall With Steel 6d16mm